

(5) Factor f . (Check your factorizations by multiplying.)

(6) Are you allowed to cancel factors in the factored form of f ? Explain why you think you are allowed to cancel, or why you are not.

(7) Find $f(1)$ by substituting $x = 1$ into the factored version of f .

(8) Find $f(2)$ by substituting $x = 2$ into the factored version of f .

(9) Find $f(3)$ by substituting $x = 3$ into the factored version of f .

Part 2: Limit as $x \rightarrow 3$

Using the factored form of f , compute the following values and guess the limits. **(No calculators)**
(Simplify your expressions by cancelling when possible, but don't bother doing the division. That is, leave your answers as fractions.)

(10) Find $f(3.1)$ by substituting $x = 3.1$ into the factored version of f . (Notice that this is significantly easier than what you did in question (4)!

(11) $f(3.01) =$

(12) $f(3.001) =$

(13) Guess $\lim_{x \rightarrow 3^+} f(x) =$

(14) $f(2.9) =$

(15) $f(2.99) =$

(16) $f(2.999) =$

(17) Guess $\lim_{x \rightarrow 3^-} f(x) =$

(18) Guess $\lim_{x \rightarrow 3} f(x) =$

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Part 3: Limit as $x \rightarrow 2$

Using the factored form of f , compute the following values and guess the limits. **(No calculators)**
(Simplify your expressions by cancelling when possible.)

(19) $f(2.1) =$

(20) $f(2.01) =$

(21) $f(2.001) =$

(22) Describe in words the trend that you observe in (19), (20), (21).

(23) Does $\lim_{x \rightarrow 2^+} f(x)$ exist? Explain.

(24) $f(1.9) =$

(25) $f(1.99) =$

(26) $f(1.999) =$

(27) Describe in words the trend that you observe in (24), (25), (26).

(28) Does $\lim_{x \rightarrow 2^-} f(x)$ exist? Explain.

(29) Does $\lim_{x \rightarrow 2} f(x)$ exist? Explain.