

## Squeeze Theorem Worksheet

MATH 2301 (Barsamian)

Generic Hypotheses	Our Specific Hypotheses
the real number $a$	
the function $f(x)$	
the function $g(x)$	
the function $h(x)$	
verification that functions $f, g, h$ satisfy $f(x) \leq g(x) \leq h(x)$ when $x$ is near $a$ (except possibly at $a$ )	
Function $f$ has limit $\lim_{x \rightarrow a} f(x) = L$ .	
Function $h$ has limit $\lim_{x \rightarrow a} h(x) = L$ .	
Generic Conclusion	Our Specific Conclusion
Function $g(x)$ has limit $\lim_{x \rightarrow a} g(x) = L$ .	<i>Function</i> ____ ( $x$ ) = _____  <i>has limit</i> $\lim_{x \rightarrow \underline{\quad}} \underline{\quad}(x) = \underline{\quad}$ .

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